

WHAT IS CLAIMED IS:

1 A method for the space-time filtering of in radiography comprising:

a. for each pixel having coordinates (x,y) of a first image, a weighting is performed on the coefficients $U(k,l)$ of a first convolution core with a dimension D, equivalent to a low-pass filter, as a function of a coefficient G which is a function of the difference computed between $I(x,y)$ and $I(x+k, y+l)$, where $I(x,y)$ is the intensity of the pixel with coordinates (x,y) of the first image, and k and l are indices used to explore the coefficients of the convolution core, a second convolution core with coefficients $Up(k,l)$ being thus obtained;

b. for each pixel with coordinates (x,y) of the first image, a weighting is performed on the coefficients $U(k,l)$ of the first convolution core as a function of the coefficient G which is a function of the difference computed between $I(x,y)$ and $I'(x+k, y+l)$, where $I'(x,y)$ is the intensity of the pixel with coordinates (x,y) of a second image, a third convolution core with coefficients $Up'(k,l)$ being thus obtained; and

c. the filtered value of $I(x,y)$ is computed by the formula:

$$F(x, y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k, l) * I(x + k, y + l) + (1 - \gamma) * Up'(k, l) * I'(x + k, y + l)) \right) / N \dots (1)$$

$$L = (D - 1) / 2 \dots (2)$$

$$\gamma \in [0, 1] \dots (3)$$

$$N = \sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k, l) + (1 - \gamma) * Up'(k, l)) \dots (4)$$

where $F(x,y)$ is the filtered value of $I(x,y)$.

2. The method according to claim 1 wherein:

$$Up(k,l) = U(k,l) * G(I(x+k,y+l) - I(x,y); \sigma(I(x,y))); \text{ and}$$

$$Up'(k,l) = U(k,l) * G(I'(x+k,y+l) - I(x,y); \lambda * \sigma(I(x,y)))$$

with G as a weighting function depending on a difference between the value of the

pixel to be filtered and its neighborhood and depending on a noise statistic for the value of the pixel to be filtered.

3. The method according to claim 2 wherein G is a function of the difference ϵ computed and of a known noise statistic σ for $I(x,y)$, the coefficient G being then written as the function $G(\epsilon, \sigma)$, where G is therefore the value in terms of ϵ of a Gaussian curve centered on 0 and having a standard deviation σ .

4. The method according to claim 2 wherein G is a function of the computed difference ϵ of the following type:

$$G(\epsilon) = -a \cdot \epsilon + 1, \text{ with } a > 0, \text{ et}$$

$$Up(k,l) = U(k,l) \times G(I(x+k,y+l) - I(x,y)), \text{ and}$$

$$Up'(k,l) = U(k,l) \times G(I'(x+k,y+l) - I(x,y)).$$

5. The method according to claim 2 wherein λ is a real number.

6. The method according to claim 3 wherein λ is a real number.

7. The method according to claim 4 wherein λ is a real number.

8. The method according to claim 1 wherein equation (1) becomes:

$$F(x,y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k,l) \cdot I(x+k,y+l) + (1-\gamma) * Up'(k,l) \cdot F'(x+k,y+l)) \right) / N$$

where $F'(x,y)$ is the filtered intensity of the pixel with coordinates (x,y) of the second image.

9. The method according to claim 2 wherein equation (1) becomes:

$$F(x,y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k,l) \cdot I(x+k,y+l) + (1-\gamma) * Up'(k,l) \cdot F'(x+k,y+l)) \right) / N$$

where $F'(x,y)$ is the filtered intensity of the pixel with coordinates (x,y) of the second image.

10. The method according to claim 3 wherein equation (1) becomes:

$$F(x,y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k,l).I(x+k,y+l) + (1-\gamma) * Up'(k,l).F'(x+k,y+l)) \right) / N$$

where $F'(x,y)$ is the filtered intensity of the pixel with coordinates (x,y) of the second image.

11. The method according to claim 4 wherein equation (1) becomes:

$$F(x,y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k,l).I(x+k,y+l) + (1-\gamma) * Up'(k,l).F'(x+k,y+l)) \right) / N$$

where $F'(x,y)$ is the filtered intensity of the pixel with coordinates (x,y) of the second image.

12. The method according to claim 5 wherein equation (1) becomes:

$$F(x,y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k,l).I(x+k,y+l) + (1-\gamma) * Up'(k,l).F'(x+k,y+l)) \right) / N$$

where $F'(x,y)$ is the filtered intensity of the pixel with coordinates (x,y) of the second image.

13. The method according to claim 1 wherein a value of γ equal to 0 implies a zero temporal dependence.

14. The method according to claim 2 wherein a value of γ equal to 0 implies a zero temporal dependence.

15. The method according to claim 3 wherein a value of γ equal to 0 implies a zero temporal dependence.

16. The method according to claim 4 wherein a value of γ equal to 0 implies a zero temporal dependence.

17. The method according to claim 5 wherein a value of γ equal to 0 implies a zero temporal dependence.

18. The method according to claim 8 wherein a value of γ equal to 0 implies a zero temporal dependence.

19. The method according to claim 1 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

20. The method according to claim 2 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

21. The method according to claim 3 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

22. The method according to claim 4 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

23. The method according to claim 5 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

24. The method according to claim 8 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

25. The method according to claim 13 wherein the first and second images are successive images of a sequence of images, the first image having a date t , and the second image having a date $t-1$.

26. The method according to claim 1 wherein D is equal to 5.

27. The method according to claim 2 wherein D is equal to 5.

28. The method according to claim 3 wherein D is equal to 5.

29. The method according to claim 4 wherein D is equal to 5.

30. The method according to claim 5 wherein D is equal to 5.

31. The method according to claim 8 wherein D is equal to 5.

32. The method according to claim 13 wherein D is equal to 5.

33. The method according to claim 19 wherein D is equal to 5.

- 34. The method according to claim 1 wherein D is greater than 5.
- 35. The method according to claim 2 wherein D is greater than 5.
- 36. The method according to claim 3 wherein D is greater than 5.
- 37. The method according to claim 4 wherein D is greater than 5.
- 38. The method according to claim 5 wherein D is greater than 5.
- 39. The method according to claim 5 wherein D is greater than 5.
- 40. The method according to claim 8 wherein D is greater than 5.
- 41. The method according to claim 19 wherein D is greater than 5.
- 42. The method according to claim 26 wherein D is greater than 5.
- 43. The method according to claim 1 wherein D is an odd number.
- 44. The method according to claim 2 wherein D is an odd number.
- 45. The method according to claim 3 wherein D is an odd number.
- 46. The method according to claim 4 wherein D is an odd number.
- 47. The method according to claim 5 wherein D is an odd number.
- 48. The method according to claim 8 wherein D is an odd number.

49. The method according to claim 13 wherein D is an odd number.
50. The method according to claim 19 wherein D is an odd number.
51. The method according to claim 26 wherein D is an odd number.
52. The method according to claim 34 wherein D is an odd number.
53. A space-time convolution filter designed according to the method of claim 1.
54. A scanner for radiography having a filter according to claim 53.
55. A computer program comprising computer program code means, the computer readable program code means for causing a computer to provide:
 - a. for each pixel having coordinates (x,y) of a first image, a weighting is performed on the coefficients $U(k,l)$ of a first convolution core with a dimension D, equivalent to a low-pass filter, as a function of a coefficient G which is a function of the difference computed between $I(x,y)$ and $I(x+k, y+l)$, where $I(x,y)$ is the intensity of the pixel with coordinates (x,y) of the first image, and k and l are indices used to explore the coefficients of the convolution core, a second convolution core with coefficients $U_p(k,l)$ being thus obtained;
 - b. for each pixel with coordinates (x,y) of the first image, a weighting is performed on the coefficients $U(k,l)$ of the first convolution core as a function of the coefficient G which is a function of the difference computed between $I(x,y)$ and $I'(x+k, y+l)$, where $I'(x,y)$ is the intensity of the pixel with coordinates (x,y) of a second image, a third convolution core with coefficients $U_p'(k,l)$ being thus obtained; and
 - c. the filtered value of $I(x,y)$ is computed by the formula:

$$F(x, y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * U_p(k, l) I(x+k, y+l) + (1-\gamma) * U_p'(k, l) I'(x+k, y+l)) \right) / N \dots (1)$$

$$L = (D-1)/2 \dots (2)$$

$$\gamma \in [0,1] \dots (3)$$

$$N = \sum_{k=-L}^L \sum_{l=-L}^L (\gamma * U_p(k, l) + (1-\gamma) * U_p'(k, l)) \dots (4)$$

where $F(x,y)$ is the filtered value of $I(x,y)$.

56. A computer program product comprising a computer useable medium having computer readable program code means embodied in the medium, the computer program product comprising:

a. computer readable program code means embodied in the medium for causing a computer to provide for each pixel having coordinates (x,y) of a first image, a weighting is performed on the coefficients $U(k,l)$ of a first convolution core with a dimension D , equivalent to a low-pass filter, as a function of a coefficient G which is a function of the difference computed between $I(x,y)$ and $I(x+k, y+l)$, where $I(x,y)$ is the intensity of the pixel with coordinates (x,y) of the first image, and k and l are indices used to explore the coefficients of the convolution core, a second convolution core with coefficients $U_p(k,l)$ being thus obtained;

b. computer readable program code means embodied in the medium for causing a computer to provide for each pixel with coordinates (x,y) of the first image, a weighting is performed on the coefficients $U(k,l)$ of the first convolution core as a function of the coefficient G which is a function of the difference computed between $I(x,y)$ and $I'(x+k, y+l)$, where $I'(x,y)$ is the intensity of the pixel with coordinates (x,y) of a second image, a third convolution core with coefficients $U_p'(k,l)$ being thus obtained; and

c. computer readable program code means embodied in the medium for causing a computer to provide the filtered value of $I(x,y)$ is computed by the formula:

$$F(x, y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k, l) \cdot I(x+k, y+l) + (1-\gamma) * Up'(k, l) \cdot I'(x+k, y+l)) \right) / N \dots (1)$$

$$L = (D-1)/2 \dots (2)$$

$$\gamma \in [0, 1] \dots (3)$$

$$N = \sum_{k=-L}^L \sum_{l=-L}^L (\gamma * Up(k, l) + (1-\gamma) * Up'(k, l)) \dots (4)$$

where $F(x, y)$ is the filtered value of $I(x, y)$.

57. An article of manufacture for use with a computer system, the article of manufacture comprising a computer readable medium having computer readable program code means embodied in the medium, the program code means comprising:

a. computer readable program code means embodied in the medium for causing a computer to provide for each pixel having coordinates (x, y) of a first image, a weighting is performed on the coefficients $U(k, l)$ of a first convolution core with a dimension D , equivalent to a low-pass filter, as a function of a coefficient G which is a function of the difference computed between $I(x, y)$ and $I(x+k, y+l)$, where $I(x, y)$ is the intensity of the pixel with coordinates (x, y) of the first image, and k and l are indices used to explore the coefficients of the convolution core, a second convolution core with coefficients $Up(k, l)$ being thus obtained;

b. computer readable program code means embodied in the medium for causing a computer to provide for each pixel with coordinates (x, y) of the first image, a weighting is performed on the coefficients $U(k, l)$ of the first convolution core as a function of the coefficient G which is a function of the difference computed between $I(x, y)$ and $I'(x+k, y+l)$, where $I'(x, y)$ is the intensity of the pixel with coordinates (x, y) of a second image, a third convolution core with coefficients $Up'(k, l)$ being thus obtained; and

c. computer readable program code means embodied in the medium for causing a computer to provide the filtered value of $I(x, y)$ is computed by the formula:

$$F(x, y) = \left(\sum_{k=-L}^L \sum_{l=-L}^L (\gamma * U_p(k, l) I(x+k, y+l) + (1-\gamma) * U_p'(k, l) I'(x+k, y+l)) \right) / N \dots (1)$$

$$L = (D-1)/2 \dots (2)$$

$$\gamma \in [0,1] \dots (3)$$

$$N = \sum_{k=-L}^L \sum_{l=-L}^L (\gamma * U_p(k, l) + (1-\gamma) * U_p'(k, l)) \dots (4)$$

where $F(x,y)$ is the filtered value of $I(x,y)$.